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### 1978 ITTC Performance Prediction Method

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		$C_{ m FC}$	Frictional resistance coefficient at the temperature of the self
1. PUR	POSE OF PROCEDURE		propulsion test
an analytical	edure gives a general description of method to predict delivered power	$C_{NP}$	Trial correction for propeller rate of revolution at power identity
	volutions for single and twin screw odel test results.	$C_P$	Trial correction for delivered power
		$C_N$	Trial correction for propeller
2. DESC	CRIPTION OF PROCEDURE		rate of revolution at speed identity
2.1 Introd	o <b>4:</b> o	$C_{\mathrm{R}}$	Residual resistance coefficient
2.1 Introd	uction	$C_{\mathrm{T}}$	Total resistance coefficient
The meth	od requires respective results of a	D	Propeller diameter
resistance te	st, a self propulsion test and the	$F_{ m D}$	Skin friction correction in self propulsion test
	es of the model propeller used dur-	J	Propeller advance coefficient
ing the self p	ropulsion test,	$J_T$	Propeller advance coefficient
The meth	nod generally is based on thrust		achieved by thrust identity
identity which	ch is recommended to be used to	$J_Q$	Propeller advance coefficient achieved by torque identity
predict the performance of a ship. It is supposed that the thrust deduction factor and the relative		$K_T$	Thrust coefficient
rotative effic	iency calculated for the model re-	$K_{TQ}$	Thrust coefficient achieved by torque identity
	e for the full scale ship whereas on ficients corrections for scale effects	$K_Q$	Torque coefficient
are applied.	ficients corrections for scale effects	$K_{QT}$	Torque coefficient achieved by thrust identity
In some s	pecial cases torque identity (power	k	Form factor
		$k_{ m P}$	Propeller blade roughness
identity) may be used, see section 2.4.4.	$k_{ m s}$	roughness of hull surface	
2.2 D. 61 1		$N_{ m P}$	Number of propellers
2.2 Definit	tion of the Variables	n	Propeller rate of revolution
$C_{ m A}$	Correlation allowance	$n_{\mathrm{T}}$	Propeller rate of revolution, cor-
$C_{AA}$	Air resistance coefficient		rected using correlation factor
		P	Propeller pitch
$C_{\mathrm{App}}$	Appendage resistance coefficient	$P_{ m D}$ , $P_{ m P}$	Delivered Power, propeller
$C_D$	Drag coefficient		power
$C_{\mathrm{F}}$	Frictional resistance coefficient	$P_{ m DT}$	Delivered Power, corrected using correlation factor



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$P_{\mathrm{E}}$ , $P_{\mathrm{R}}$	Effective power, resistance
	power
Q	Torque
$R_{\rm C}$	Resistance corrected for temper-
	ature differences between re-
	sistance- and self propulsion test
Re	Reynolds number
$R_{\mathrm{T}}$	Total resistance
S	Wetted surface
$S_{ m BK}$	Wetted surface of bilge keels
T	Propeller thrust
t	Thrust deduction factor
V	Ship speed
$V_{ m A}$	Propeller advance speed
W	Taylor wake fraction in general
WQ	Taylor wake fraction, torque
	identity
WR	Effect of the rudder(s) on the
	wake fraction
WT	Taylor wake fraction, thrust
	identity
Z	Number of propeller blades
β	Appendage scale effect factor
$\Delta C_{ m F}$	roughness allowance
$\Delta C_{ ext{FC}}$	Individual correction term for
	roughness allowance
$\Delta w_{\rm C}$	Individual correction term for
	wake
$\eta$ D	Propulsive efficiency or quasi-
	propulsive coefficient
$\eta$ н	Hull efficiency
$\eta_0$	Propeller open water efficiency
$\eta_{ m R}$	Relative rotative efficiency

Subscript "M" signifies the model

ρ

Subscript "s" signifies the full scale ship

Water density in general

#### 2.3 Analysis of the Model Test Results

The calculation of the residual resistance coefficient  $C_R$  from the model resistance test results is found in the procedure for resistance test (7.5-02-02-01).

Thrust  $T_{\rm M}$ , and torque  $Q_{\rm M}$ , measured in the self-propulsion tests are expressed in the non-dimensional forms as in the procedure for propulsion test (7.5-02-03-01.1).

$$K_{TM} = \frac{T_{M}}{\rho_{M} D_{M}^{4} n_{M}^{2}}$$
 and  $K_{QM} = \frac{Q_{M}}{\rho_{M} D_{M}^{5} n_{M}^{2}}$ 

Using thrust identity with  $K_{\text{\tiny TM}}$  as input data,  $J_{\text{\tiny TM}}$  and  $K_{\text{\tiny QTM}}$  are read off from the model propeller open water diagram, and the wake fraction

$$w_{T\!\mathrm{M}} = 1 - \frac{J_{T\!\mathrm{M}} D_{\mathrm{M}} n_{\mathrm{M}}}{V_{\mathrm{M}}}$$

and the relative rotative efficiency

$$\eta_{\rm R} = \frac{K_{Q\rm TM}}{K_{Q\rm M}}$$

are calculated. V<sub>M</sub> is model speed.

Using torque identity with  $K_{QM}$  as input data,  $J_{QM}$  and  $K_{TQM}$  is read off from the model propeller open water diagram, and the wake fraction

$$w_{\scriptscriptstyle QM} = 1 - \frac{J_{\scriptscriptstyle QM} D_{\scriptscriptstyle \rm M} n_{\scriptscriptstyle \rm M}}{V_{\scriptscriptstyle \rm M}}$$

and the relative rotative efficiency

$$\eta_{\rm R} = \frac{K_{TQM}}{K_{TM}}$$

are calculated. V<sub>M</sub> is model speed.

The thrust deduction is obtained from



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 $t = \frac{T_{\rm M} + F_{\rm D} - R_{\rm C}}{T_{\rm M}}$ 

where  $F_D$  is the towing force actually applied in the propulsion test.  $R_C$  is the resistance corrected for differences in temperature between resistance and self-propulsion tests:

$$R_{\rm C} = \frac{(1+k).C_{\rm FMC} + C_{\rm R}}{(1+k).C_{\rm FM} + C_{\rm R}} R_{\rm TM}$$

where  $C_{\rm FMC}$  is the frictional resistance coefficient at the temperature of the self-propulsion test.

#### 2.4 Full Scale Predictions

#### 2.4.1 Total Resistance of Ship

The total resistance coefficient of a ship without bilge keels is

$$C_{TS} = (1+k)C_{FS} + \Delta C_F + C_A + C_R + C_{AAS}$$

where

- *k* is the form factor determined from the resistance test, see ITTC standard procedure 7.5-02-02-01.
- *C*<sub>FS</sub> is the frictional resistance coefficient of the ship according to the ITTC-1957 model-ship correlation line
- *C*<sub>R</sub> is the residual resistance coefficient calculated from the total and frictional resistance coefficients of the model in the resistance tests:

$$C_{\rm R} = C_{\rm TM} - (1+k)C_{\rm FM}$$

The form factor k and the total resistance coefficient for the model  $C_{\text{TM}}$  are determined as

described in the ITTC standard procedure 7.5-02-02-01.

The correlation factor for the calculation of the resistance has been separated from the roughness allowance. The roughness allowance  $\Delta C_F$  per definition describes the effect of the roughness of the hull on the resistance. The correlation factor  $C_A$  is supposed to allow for all effects not covered by the prediction method, mainly uncertainties of the tests and the prediction method itself and the assumptions made for the prediction method. The separation of  $\Delta C_F$  from  $C_A$  was proposed by the Performance Prediction Committee of the 19<sup>th</sup> ITTC. This is essential to allow for the effects of newly developed hull coating systems.

The  $19^{th}$  ITTC also proposed a modified formula for  $C_A$  that excludes roughness allowance, which is now given in this procedure.

•  $\Delta C_{\rm F}$  is the roughness allowance

$$\Delta C_{\rm F} = 0.044 \left[ \left( \frac{k_{\rm S}}{L_{\rm WL}} \right)^{\frac{1}{3}} - 10 \cdot Re^{-\frac{1}{3}} \right] + 0.000125$$

where  $k_{\rm S}$  indicates the roughness of hull surface. When there is no measured data, the standard value of  $k_{\rm S}=150\times10^{-6}$  m can be used. For modern coating different value will have to be considered.

#### • $C_A$ is the correlation allowance.

*C*<sub>A</sub> is determined from comparison of model and full scale trial results. When using the roughness allowance as above, the 19<sup>th</sup> ITTC recommended using

$$C_{\rm A} = (5.68 - 0.6 \log Re) \times 10^{-3}$$



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to give values of  $\Delta C_F + C_A$  that approximates the values of  $\Delta C_F$  of the original 1978 ITTC method. It is recommended that each institution maintains their own model-full scale correlation. See section 2.4.4 for a further discussion on correlation.

• *C*<sub>AAS</sub> is the air resistance coefficient in full scale

$$C_{\text{AAS}} = C_{DA} \frac{\rho_{\text{A}} \cdot A_{\text{VS}}}{\rho_{\text{S}} \cdot S_{\text{S}}}$$

where,  $A_{VS}$  is the projected area of the ship above the water line to the transverse plane,  $S_S$  is the wetted surface area of the ship,  $\rho_A$  is the air density, and  $C_{DA}$  is the air drag coefficient of the ship above the water line.  $C_{DA}$  can be determined by wind tunnel model tests or calculations. Values of  $C_{DA}$  are typically in the range 0.5-1.0, where 0.8 can be used as a default value.

If the ship is fitted with bilge keels of modest size, the total resistance is estimated as follows:

$$C_{\text{TS}} = \frac{S_{\text{S}} + S_{\text{BK}}}{S_{\text{S}}} \left[ (1+k)C_{\text{FS}} + \Delta C_{\text{F}} + C_{\text{A}} \right] + C_{\text{R}} + C_{\text{AAS}}$$

where  $S_{\text{BK}}$  is the wetted surface area of the bilge keels.

When the model appendage resistance is separated from the total model resistance, as described as an option in the ITTC Standard Procedure 7.5-02-02-01, the full scale appendage resistance needs to be added, and the formula for total resistance (with bilge keels) becomes:

$$\begin{split} C_{\mathrm{TS}} &= \frac{S_{\mathrm{S}} + S_{\mathrm{BK}}}{S_{\mathrm{S}}} \Big[ (1+k)C_{\mathrm{FS}} + \Delta C_{\mathrm{F}} + C_{\mathrm{A}} \Big] + C_{\mathrm{R}} + C_{\mathrm{AAS}} \\ &+ C_{\mathrm{AppS}} \end{split}$$

There is not only one recommended method of scaling appendage resistance to full scale. The following alternative methods are well established:

1) Scaling using a fixed fraction:

$$C_{\text{AppS}} = (1 - \beta) \cdot C_{\text{AppM}}$$

where  $(1-\beta)$  is a constant in the range 0.6-1.0.

2) Calculating the drag of each appendage separately, using local Reynolds number and form factor.

$$C_{\text{AppS}} = \sum_{i=1}^{n} (1 - w_i)^2 \cdot (1 + k_i) \cdot C_{\text{FS}i} \cdot \frac{S_i}{S_{\text{S}}}$$

where index i refers to the number of the individual appendices.  $w_i$  is the wake fraction at the position of appendage i.  $k_i$  is the form factor of appendage i.  $C_{FSi}$  is the frictional resistance coefficient of appendage i, and  $S_i$  is the wetted surface area of appendage i. Note that the method is not scaling the model appendage drag, but calculating the full scale appendage drag. The model appendage drag, if known from model tests, can be used for the determination of e.g. the wake fractions  $w_i$ . Values of the form factor  $k_i$  can be found from published data for generic shapes, see for instance Hoerner (1965) or Kirkman and Klöetsli (1980).



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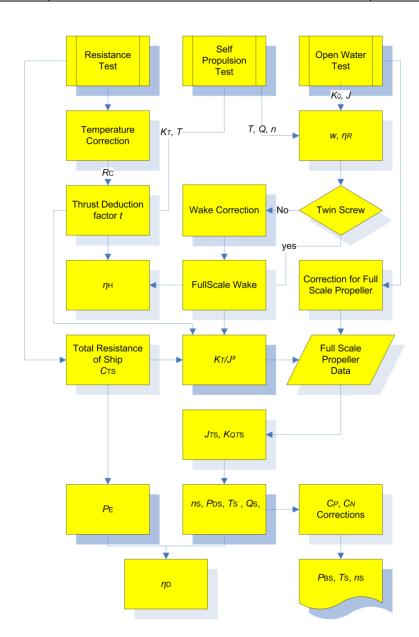
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#### 2.4.2 Scale Effect Corrections for Propeller Characteristics.

The characteristics of the full-scale propeller are calculated from the model characteristics as follows:

$$K_{TS} = K_{TM} - \Delta K_T$$

$$K_{Q\mathrm{S}} = K_{Q\mathrm{M}} - \Delta K_{Q}$$

where

$$\Delta K_{T} = -\Delta C_{D} \cdot 0.3 \cdot \frac{P}{D} \cdot \frac{c \cdot Z}{D}$$

$$\Delta K_Q = \Delta C_D \cdot 0.25 \cdot \frac{c \cdot Z}{D}$$

The difference in drag coefficient  $\Delta C_D$  is



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$$\Delta C_D = C_{DM} - C_{DS}$$

where

$$C_{DM} = 2\left(1 + 2\frac{t}{c}\right) \left[\frac{0.044}{\left(Re_{c0}\right)^{\frac{1}{6}}} - \frac{5}{\left(Re_{c0}\right)^{\frac{2}{3}}}\right]$$

and

$$C_{DS} = 2\left(1 + 2\frac{t}{c}\right)\left(1.89 + 1.62 \cdot \log\frac{c}{k_{\rm p}}\right)^{-2.5}$$

In the formulae listed above c is the chord length, t is the maximum thickness, P/D is the pitch ratio and  $Re_{c0}$  is the local Reynolds number with Kempf's definition at the open-water test. They are defined for the representative blade section, such as at r/R=0.75.  $k_P$  denotes the blade roughness, the standard value of which is set  $k_P=30\times10^{-6}$  m.  $Re_{c0}$  must not be lower than  $2\times10^5$ .

# 2.4.3 Full Scale Wake and Operating Condition of Propeller

The full-scale wake is calculated by the following formula using the model wake fraction  $w_{\text{TM}}$ , and the thrust deduction fraction t obtained as the analysed results of self-propulsion test:

$$w_{TS} = (t + w_{R}) + (w_{TM} - t - w_{R}) \frac{(1+k)C_{FS} + \Delta C_{F}}{(1+k)C_{FM}}$$

where  $w_R$  stands for the effect of rudder on the wake fraction. If there is no estimate for  $w_R$ , the standard value of 0.04 can be used.

If the estimated  $w_{TS}$  is greater than  $w_{TM}$ ,  $w_{TS}$  should be set as  $w_{TM}$ .

The wake scale effect of twin screw ships with open sterns is usually small, and for such ships it is common to assume  $w_{TS} = w_{TM}$ .

For twin skeg-like stern shapes a wake correction is recommended. A correction like the one used for single screw ships may be used.

The load of the full-scale propeller is obtained from

$$\frac{K_T}{J^2} = \frac{1}{N_{\rm p}} \cdot \frac{S_{\rm S}}{2D_{\rm s}^2} \cdot \frac{C_{\rm TS}}{(1-t) \cdot (1-w_{\rm TS})^2}$$

where  $N_P$  is the number of propellers.

With this  $K_T/J^2$  as input value the full scale advance coefficient  $J_{TS}$  and the torque coefficient  $K_{QTS}$  are read off from the full scale propeller characteristics and the following quantities are calculated.

• the rate of revolutions:

$$n_{\rm S} = \frac{(1 - w_{\rm TS}) \cdot V_{\rm S}}{J_{\rm TS} \cdot D_{\rm S}} \tag{r/s}$$

• the delivered power of each propeller:

$$P_{\rm DS} = 2\pi \rho_{\rm S} D_{\rm S}^5 n_{\rm S}^3 \frac{K_{\rm QTS}}{\eta_{\rm R}} \cdot 10^{-3}$$
 (kW)

• the thrust of each propeller:

$$T_{\rm S} = \left(\frac{K_T}{J^2}\right) \cdot J_{TS}^2 \rho_{\rm S} D_{\rm S}^4 n_{\rm S}^2 \tag{N}$$

• the torque of each propeller:

$$Q_{\rm S} = \frac{K_{\rm QTS}}{\eta_{\rm R}} \cdot \rho_{\rm S} D_{\rm S}^5 n_{\rm S}^2 \tag{Nm}$$

• the effective power:

$$P_{\rm E} = C_{\rm TS} \cdot \frac{1}{2} \rho_{\rm S} V_{\rm S}^3 S_{\rm S} \cdot 10^{-3}$$
 (kW)



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• the quasi propulsive efficiency:

$$\eta_D = \frac{P_E}{N_P \cdot P_{DS}}$$

• the hull efficiency:

$$\eta_{\rm H} = \frac{1-t}{1-w_{\rm TS}}$$

#### 2.4.4 Model-Ship Correlation Factor

The model-ship correlation factor should be based on systematic comparison between full scale trial results and predictions from model scale tests. Thus, it is a correction for any systematic errors in model test and powering prediction procedures, including any facility bias.

In the following, several different alternative concepts of correlation factors are presented as suggestions. It is left to each member organisations to derive their own values of the correlation factor(s), taking into account also the actual value used for  $C_A$ .

(1) Prediction of full scale rates of revolutions and delivered power by use of the  $C_P - C_N$  correction factors

Using  $C_P$  and  $C_N$  the finally predicted trial data will be calculated from

$$n_{\rm T} = C_{\scriptscriptstyle N} \cdot n_{\scriptscriptstyle \rm S} \tag{r/s}$$

for the rates of revolutions and

$$P_{\rm DT} = C_P \cdot P_{\rm DS} \tag{kW}$$

for the delivered power.

(2) Prediction of full scale rates of revolutions and delivered power by use of  $\Delta C_{FC}$  -  $\Delta w_{C}$  corrections

In such a case the finally trial predicted trial data are calculated as follows:

$$\frac{K_T}{J^2} = \frac{1}{N_{\rm p}} \cdot \frac{S_{\rm S}}{2D_{\rm s}^2} \cdot \frac{C_{\rm TS} + \Delta C_{\rm FC}}{(1-t) \cdot (1-w_{\rm TS} + \Delta w_{\rm C})^2}$$

With this  $K_T/J^2$  as input value,  $J_{TS}$  and  $K_{QTS}$  are read off from the full scale propeller characteristics and the following is calculated:

$$n_{\rm T} = \frac{(1 - w_{\rm TS} + \Delta w_{\rm C}) \cdot V_{\rm S}}{J_{\rm TS} \cdot D_{\rm S}} \tag{r/s}$$

$$P_{\rm DT} = 2\pi \rho_{\rm S} D_{\rm S}^5 n_{\rm T}^3 \frac{K_{\rm QTS}}{\eta_{\rm R}} \cdot 10^{-3}$$
 (kW)

# (3) Prediction of full scale rates of revolutions and delivered power by use of a $C_{NP}$ correction

For prediction with emphasis on stator fins and rudder effects, it is sometimes recommended to use power identity for the prediction of full scale rates of revolution.

At the point of  $K_T$ -(J)-Identity the condition is reached where the ratio between the propeller induced velocity and the entrance velocity is the same for the model and the full scale ship. Ignoring the small scale effect  $\Delta K_T$  on the thrust coefficient  $K_T$  it follows that J-identity correspond to  $K_T$ - and  $C_T$ -identity. As a consequence it follows that for this condition the axial flow field in the vicinity of the propeller is on average correctly simulated in the model experiment. Also the axial flow of the propeller slip stream is on average correctly simulated. Due to the scale effects on the propeller blade friction, which affect primarily the torque, the point of  $K_Q$ -identity (power identity) represents a slightly less heavily loaded propeller than at J-,  $K_T$ - and  $C_T$ -identity. At the power identity the average rotation in the slipstream corresponds to



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that of the actual ship and this condition is regarded as important if tests on stator fins and/or rudders are to be done correctly.

In this case, the shaft rate of revolutions is predicted on the basis of power identity as follows:

$$\begin{split} \left(\frac{K_{\varrho}}{J^{3}}\right)_{\mathrm{T}} &= \frac{1000 \cdot C_{P} \cdot P_{\mathrm{DS}}}{2\pi \rho_{\mathrm{S}} D_{\mathrm{S}}^{2} V_{\mathrm{S}}^{3} \left(1 - w_{T\mathrm{S}}\right)^{3}} \\ &\frac{K_{\varrho 0}}{J^{3}} = \left(\frac{K_{\varrho}}{J^{3}}\right)_{\mathrm{T}} \cdot \eta_{\mathrm{RM}} \\ &n_{\mathrm{S}} = \frac{\left(1 - w_{T\mathrm{S}}\right) \cdot V_{\mathrm{S}}}{J_{T\mathrm{S}} \cdot D_{\mathrm{S}}} \\ &n_{\mathrm{T}} = C_{NP} \cdot n_{\mathrm{S}} \end{split}$$

#### **3. VALIDATION**

#### 3.1 **Uncertainty Analysis**

Not yet available

#### 3.2 **Comparison with Full Scale Results**

The data that led to 1978 ITTC performance prediction method can be found in the following ITTC proceedings:

- 1) Proposed Performance Prediction Factors for Single Screw Ocean Going Ships (13th 1972 pp.155-180) Empirical Power Prediction Factor (1+X)
- 2) Propeller Dynamics Comparative Tests (13<sup>th</sup> 1972 pp.445-446)
- 3) Comparative Calculations with the ITTC Trial Prediction Test Programme (14<sup>th</sup> 1975 Vol.3 pp.548-553)
- 4) Factors Affecting Model Ship Correlation (17<sup>th</sup> 1984 Vol.1 pp274-291)

#### 4. **REFERENCES**

- (1) Hoerner, S.F. (1965) "Fluid-Dynamic Drag". Published by the author.
- (2) Kirkman, K.L., Klöetsli, J.W. (1980) "Scaling Problems of model appendages", 19th American Towing Tank Conference, Ann Arbor, Michigan